## The $x-y-z$ Convention

(Norman Pestaina, Revised: Jan 01, 2018)
Applicability:
After any sequence of three 1 -level bids; there are 10 possible such sequences:

| Sequence 1 | Sequence 2 |  | Sequence 3 |  | Sequence 4 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1* 1* | $1{ }^{\text {che }}$ | $1 *$ | 1* | $1 *$ | $1 \cdot$ | $1 \checkmark$ |
| 14 | $1 \stackrel{1}{*}$ |  | 1N |  | 1. |  |
| Sequence 5 | Sequence 6 |  | Sequence 7 |  | Sequence 8 |  |
| 1* 14 | 1. | 14 | $1 *$ | $1 \vee$ | $1 *$ | 14 |
| 1N | 1 N |  | 1. |  | 1 N |  |
| Sequence 9 | Sequence 10 |  |  |  |  |  |
| $1 * 14$ | 1\% 10 |  |  |  |  |  |
| 1N |  |  |  |  |  |  |

- $x-y$-z is off if responder has previously passed; New-Minor-Forcing may then be employed.
- $x-y-z$ is off if responder passes at the $1^{\text {st }}$ turn, whether or not the opponents intervene.
- $x-y$-z is still on if the opponents intervene, so long as opener's $2^{\text {nd }}$ bid is at the 1 -level, (optionally) including sequences where responder's $1^{\text {st }}$ bid was either double or redouble.
- $x-y$-z replaces New-Minor-Forcing and $4^{\text {th }}$-Suit-Forcing whenever it is applicable. New-MinorForcing and $4^{\text {th }}$-Suit-Forcing still apply otherwise (when $x-y$ - $z$ is not applicable).


## The basic agreement:

$x-y-z$ is invoked by responder at his $2^{\text {nd }}$ turn by bidding either $2 \&$ or 24 .

- Responder's 2at bid is artificial and is the only means of initiating an invitation-to game sequence. Opener is obligated to relay to $2 \downarrow$, also artificial, after which responder indicates the nature of his invitation. Note: the $x-y-z 2 \boldsymbol{*}$ is artificial even if opener's first bid was 1e.
- Responder's $2 \boldsymbol{\wedge}$ bid is artificial and is unconditionally forcing to game. Subsequent bidding is usually natural until game is reached. Note: the $x-y-z 2$ is artificial even if either partner's $1^{\text {st }}$ bid was 1 .


## Corollaries:

1. Following an $x-y$ - $z$ sequence in which opener's first bid was $1 \boldsymbol{e}$, it is impossible for responder to sign off in $2 \boldsymbol{d}$ since $2 \boldsymbol{i n i t i a t e s}$ an $x-y-z$ invitational sequence.
2. To invite game in $N T$, responder must start an invitational sequence via $2 \boldsymbol{\&}$, and follow the forced $2 \star$ by bidding $2 N$. (Remember: All invitational sequences start with $2 \boldsymbol{\alpha}$ ).
3. Responder's $2^{\text {nd }}$-turn 2 N is a Lebensohl-like relay to $3 \boldsymbol{e}$. For example: $1 \boldsymbol{e}-1 \mathbf{v}$; $1 \mathrm{~N}-2 \mathrm{~N}$; 3* - pass. (The 2 N bid is not an invitation since all invitations begin with 2 .)
4. Since responder's second turn $2 \star$ bid is forcing, responder cannot sign off in $2 \star$ directly; he must relay through $2 \boldsymbol{\wedge}$, then pass the forced $2 \downarrow$ response: $1 \uparrow-1 \downarrow$; $1 \mathrm{~N}-2 \boldsymbol{2} ; 2$ - pass.
5. Responder's second turn non-reverse $2 \varphi$ and $2 \wedge$ bids are non-forcing.
6. Responder's second turn jumps are natural and game-forcing.

## Examples of basic $x-y-z$ sequences:

- $x, y$ and $z$ designate any denomination ( $\stackrel{\text { or }}{ }$ or $\vee$ or or NT).
- m designates a minor, or $\downarrow$. M designates a major, $\uparrow$ or $\uparrow$. N designates no-trump.

1. $1 \mathrm{~m} \quad 1 \mathrm{y}$

1M 1N Sign-off, balanced 7-10, denying 4-card support for opener's Major.
2. 1m 1y

1M 2M Weak raise of opener's major, 7-10, denying invitational strength.
3. 1e 1 y
$1 z \quad 2 N$
3\& pass
Weak sign-off, normally with 5 or more $\boldsymbol{e}^{\prime}$ 's.
4. 1* 1 M

1z 2*
2. pass Responder must employ the $x-y-z$ invitational relay to sign off in $2 \downarrow$.
5. $1 \mathrm{~m} \quad 1 \mathrm{~A}$
$1 \mathrm{~N} 2 \boldsymbol{N}$ Not forcing; suggesting a part-score in either of $2 \downarrow, 2 \triangleleft$ or $2 N$
6. $1 x \quad 1 y$

1M 2*
2. 2 M

Inviting game in opener's major.
7. $1 \mathrm{x} \quad 1 \mathrm{M}$

1z 2e
2. 2 M Inviting game in responder's major, usually with a suit of 5 or more cards.
8. $1 x \quad 1 y$

1z 2e
2• 2 N
Inviting game in No-Trump, usually a balanced good 10 to a poor 12
9. $1 \mathrm{~m} \quad 1 \mathrm{~s}$

1N 2s
2• 2 -
Invitational with $5 \Phi^{\prime} s$ and 4 or more $\vee^{\prime}$ s
10. 1m 1y

1z 2*
2. $3 m$

Invitational, support for opener's minor, no stopper in the un-bid suit
11. $1 x \quad 1 y$

1z 2
General-purpose game force; subsequent bidding below game is natural.
12. $1 x \quad 1 y$
$1 z \quad 3 y$
Game force, for example with a solid suit of 6 or more cards
$x-y-x$ Jump Rebids:
In an $x-y-x$ sequence there are 3 conventional bids available to responder on their $2^{\text {nd }}$ turn:
$1 \mathrm{x} \quad 1 \mathrm{y}$
$1 z$ 2 unconditionally forcing to game

1x 1y
$1 z \quad 2$ forces 2 by opener, usually to start a game invitation

1x 1y
$1 z \quad 2 \mathrm{~N}$ forces 3 by opener, usually to play, when opener's $1^{\text {st }}$ bid was

It follows that other non-jump $2^{\text {nd }}$ turn bids by responder are not forcing since responder failed to deploy the $2 \boldsymbol{2}$ bid. Equally, $2^{\text {nd }}$ turn jumps must be forcing to game if responder bypasses $2 \boldsymbol{2}$. A partnership would do well to discuss and compare the following sequences, and especially to distinguish between game-forcing sequences (C) and (D):
1 :
(A)
Sign-Off
1
$1 N \quad 2$
1N
(A)
Sign-Off
1* 14
1N 2*
2. pass
3 :
(A)

| Sign-Off |  |
| :--- | :--- |
| $1 \&$ | 14 |
| $1 N$ | $2 N$ |
| $3 \&$ | pass |


| (B) |  |
| :---: | :---: |
| Invitational |  |
| $1 *$ | 1. |
| 1N | 20 |
|  | 24 |
| (B) |  |
| Invitational |  |
| $1 *$ | 14 |
| 1N | 2* |
| 2* | 3 |
| (B) |  |
| Invitational |  |
| 120 | 12 |
| 1N | 20 |
| 2 | 38 |

(C)
Game-Force
$1 ヵ$
1 N
$2 \dagger$
$2 \dagger$
(D)
Jump Re-bid
1* 14
1N 3a
$2:$

| Sign-Off |  |
| :---: | :---: |
| 1. | 14 |
| 1 N | 20 |
| 2 | pass |
| (A) |  |
| Sign-Off |  |
| 12 | 14 |
| 1 N | 2N |
| 38 | pass |

## Self-Splinters

In an $x-y$-z sequence, the self-splinter is available to responder only when opener's re-bid is 1 N :

| 1 m | 19 | 1 m | 14 | $1{ }^{19}$ | 14. |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1N | 34, 4*, 4* | 1 N | 4*, 4*, 4¢ | 1 N | 4*, 4ヶ, 4ヶ |

(Note: Responder may splinter in opener's $1^{\text {st }}$ suit)

## Picture Bids

In an $x-y-z$ sequence, jumps to game by responder that bypass the $2 \diamond$ game-force may be used by responder to describe specific holdings. Further, since responder's 2 and 2 N at his second turn are artificial with forced responses, prefixing a game bid with a $2 \boldsymbol{2}$ or relay provides a strategy to allow finer resolution of responder's specific holding.

|  | Direct |  | via 2e |  | via 2 N |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| No-Trump |  |  |  |  |  |  |
|  | 1x | 1 y | 1x | $1 y$ | 1x | 1 y |
|  | $1 z$ | 3 N | $1 z$ | 20 | 12 | 2N |
|  |  |  | 2* | 3 N | 32 | 3 N |
| Opener's Major |  |  |  |  |  |  |
|  | 1x | 1 y | 1x | $1 y$ | 1x | 1 y |
|  | 1M | 4M | 1M | 20 | 1 M | 2N |
|  |  |  | 2* | 4 M | 32 | 4M |
| $\underline{\text { Responder's Major }}$ |  |  |  |  |  |  |
|  | 1x | 1M | 1x | 1M | 1x | 1M |
|  | 1 z | 4M | $1 z$ | 20 | $1 z$ | $2 \mathrm{~N}$ |
|  |  |  | 2* | 4M | 3\% | 4M |

A partnership may assign specific picture-bid meanings to jump rebids and continuations following the 2and 2 N relays. For some treatments due to BBO_INQUIRY, see:
http://bboinquiry.blogspot.com/2005/06/wnat-is-xyz.html.

